

India's per capita income rises 10%[online] 31 May 2019.
<https://www.livemint.com/politics/policy/india-s-per-capita-income-rises-10-to-rs-10-534-a-month-in-fy19-1559318636062.html> Accessed 8 June 2018

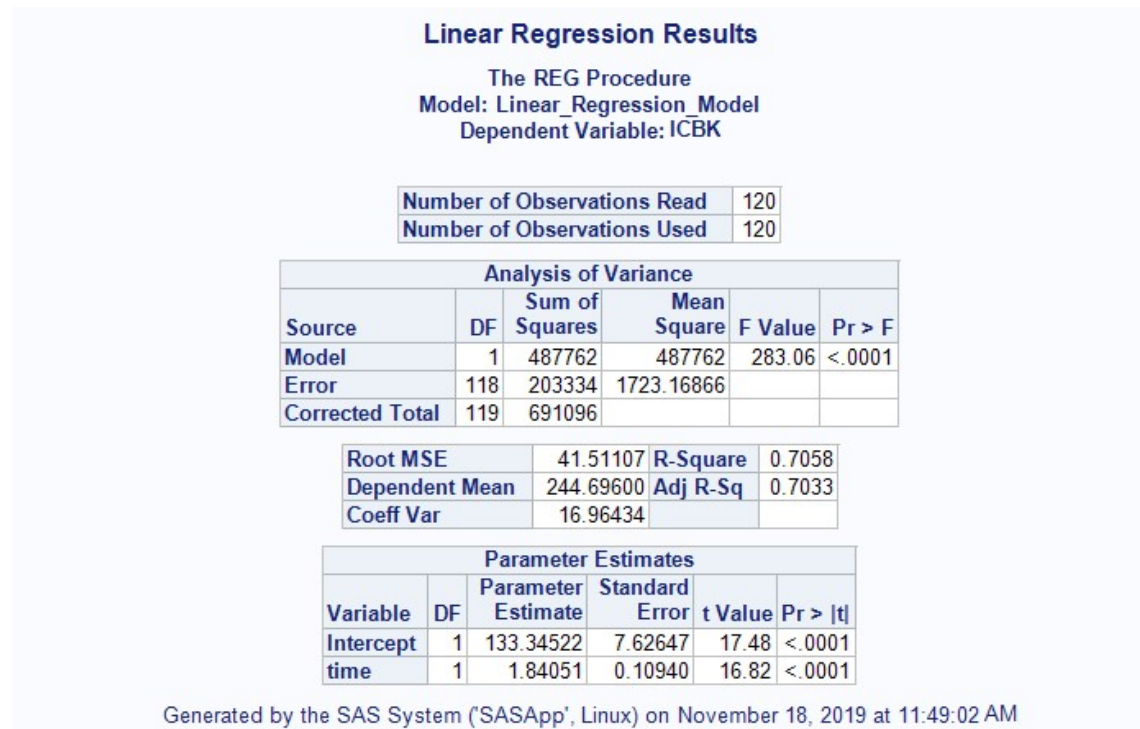
8. Appendix

8.1 Banking

Selected stocks ICBK, HDFC and YES

$X_t = \text{time}$ $Y_t = \text{ICBK}$

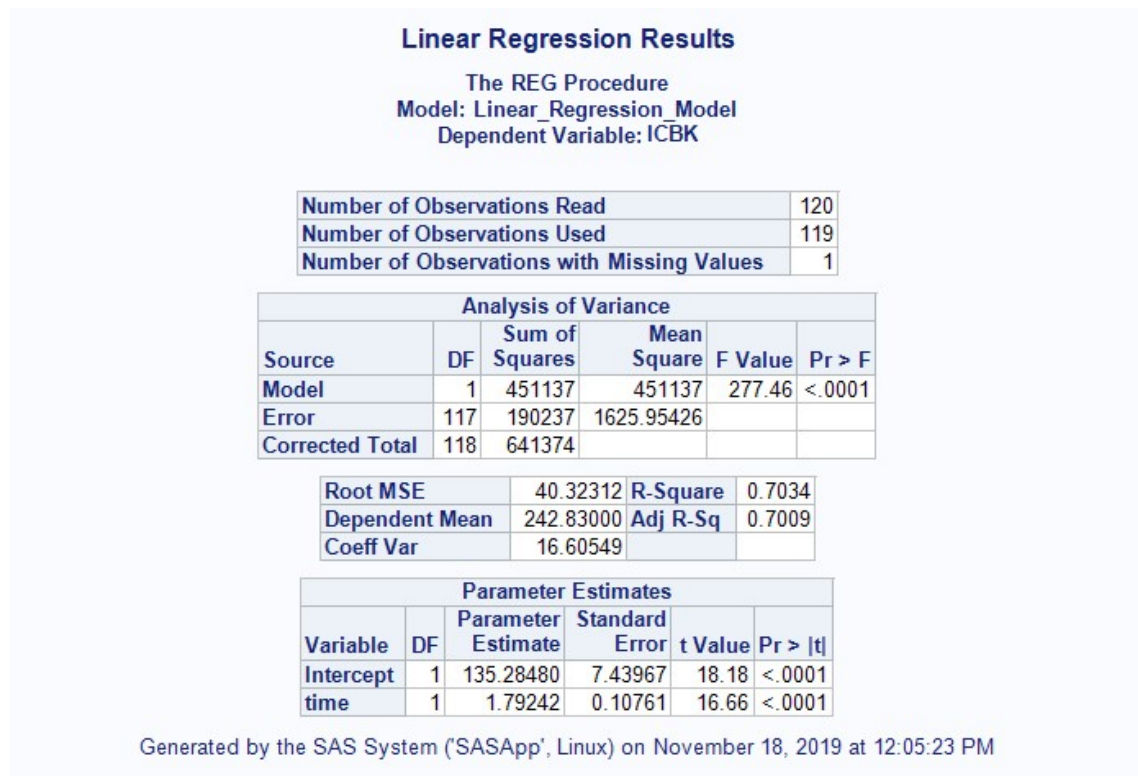
Figure 13: Original Result ICBK.



(SAS, own creation,2019)

$$Y_t = 133.34522 + 1.84051x_t$$

Figure 14: Missing Frequency Result ICBK.



(SAS, own creation,2019)

$$y't = 135.28480 + 1.79242xt$$

Forecasting: $y't(120) = 135.28480 + 1.79242(120) \Rightarrow 350.3752$

$$Y(121) = 133.34522 + 1.84051(121) \Rightarrow 356.04572$$

$$Y(122) = 133.34522 + 1.84051(122) \Rightarrow 357.88622$$

$$Y(123) = 133.34522 + 1.84051(123) \Rightarrow 359.72672$$

$$Y(124) = 133.34522 + 1.84051(124) \Rightarrow 361.56722$$

$$Y(125) = 133.34522 + 1.84051(125) \Rightarrow 363.40772$$

$$Y(126) = 133.34522 + 1.84051(126) \Rightarrow 365.24822$$

$$Y(127) = 133.34522 + 1.84051(127) \Rightarrow 367.08872$$

$$Y(128) = 133.34522 + 1.84051(128) \Rightarrow 368.92922$$

$$Y(129) = 133.34522 + 1.84051(129) \Rightarrow 370.76972$$

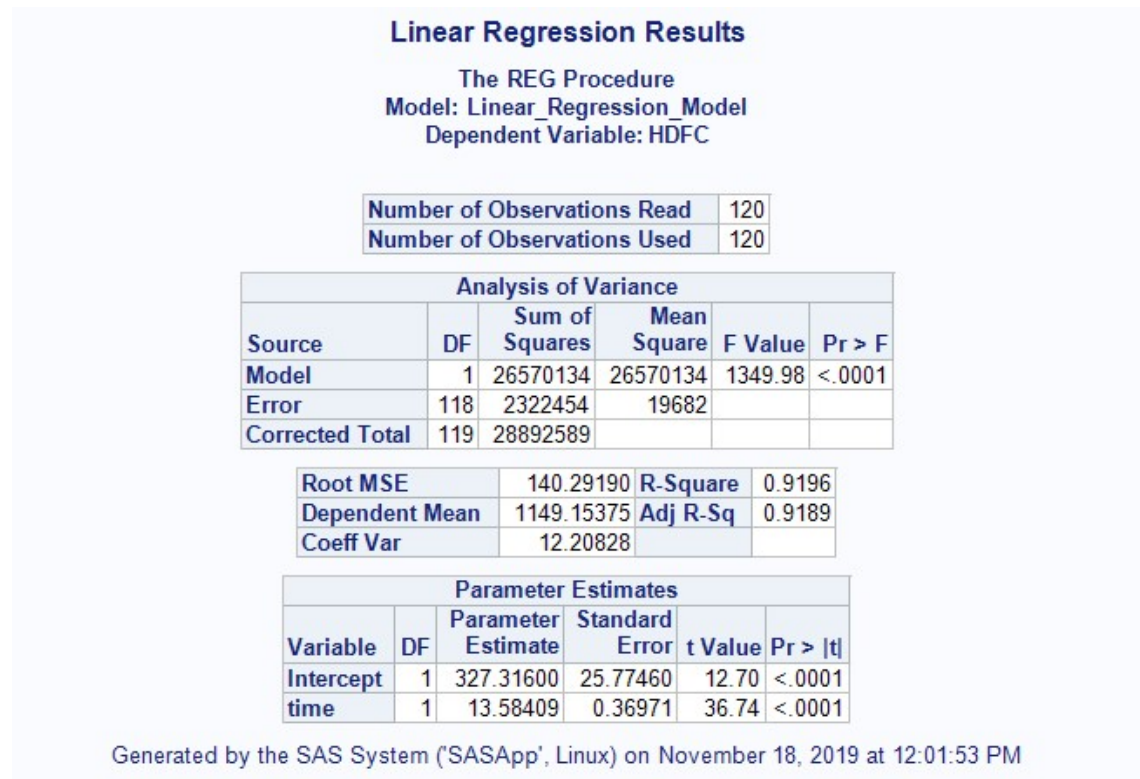
$$Y(130) = 133.34522 + 1.84051(130) \Rightarrow 372.61022$$

$$Y(131) = 133.34522 + 1.84051(131) \Rightarrow 374.45072$$

$$Y(132) = 133.34522 + 1.84051(132) \Rightarrow 376.29122$$

Xt = time Yt = HDFC

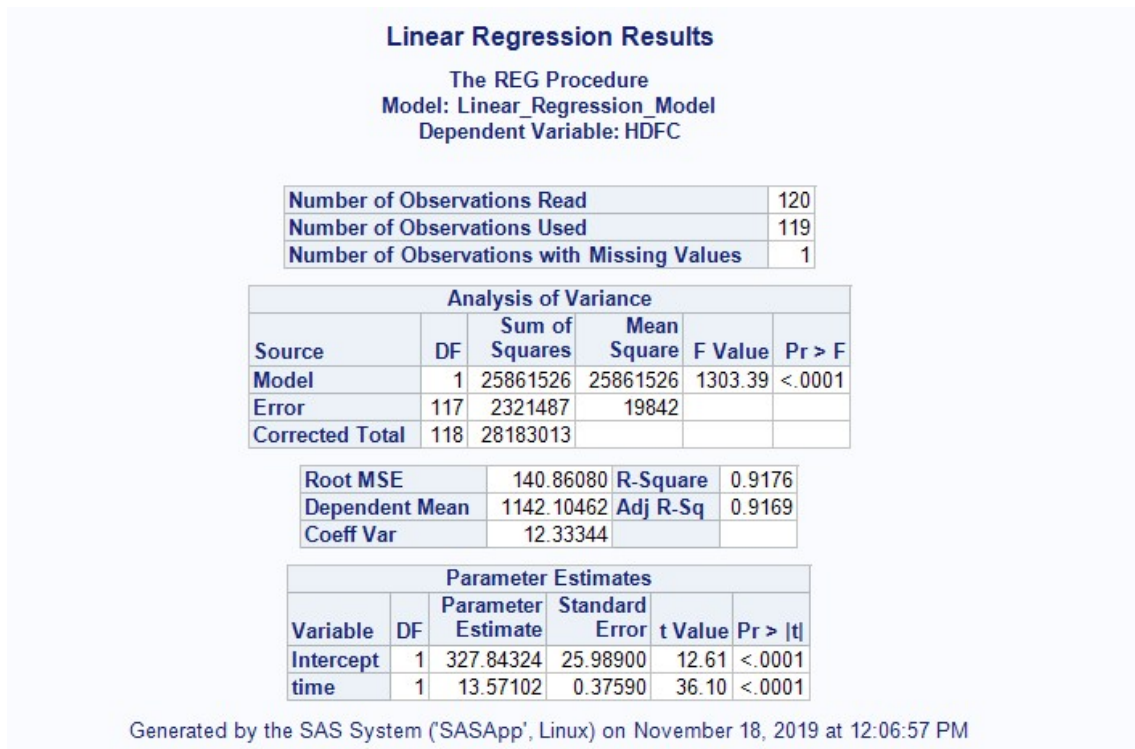
Figure 15: Original Result HDFC.



(SAS, own creation,2019)

$$Y_t = 327.31600 + 13.58409x_t$$

Figure 16: Missing Frequency Result HDFC.



(SAS, own creation,2019)

$$y't = 327.84324 + 13.57102x't$$

Forecasting : $y'(120) = 327.84324 + 13.57102(120) \Rightarrow 1949.16564$

$$Y(121) = 327.31600 + 13.58409(121) \Rightarrow 1970.99089$$

$$Y(122) = 327.31600 + 13.58409(122) \Rightarrow 1984.57498$$

$$Y(123) = 327.31600 + 13.58409(123) \Rightarrow 1998.15907$$

$$Y(124) = 327.31600 + 13.58409(124) \Rightarrow 2011.74316$$

$$Y(125) = 327.31600 + 13.58409(125) \Rightarrow 2025.32725$$

$$Y(126) = 327.31600 + 13.58409(126) \Rightarrow 2038.91134$$

$$Y(127) = 327.31600 + 13.58409(127) \Rightarrow 2052.49543$$

$$Y(128) = 327.31600 + 13.58409(128) \Rightarrow 2066.07952$$

$$Y(129) = 327.31600 + 13.58409(129) \Rightarrow 2079.66361$$

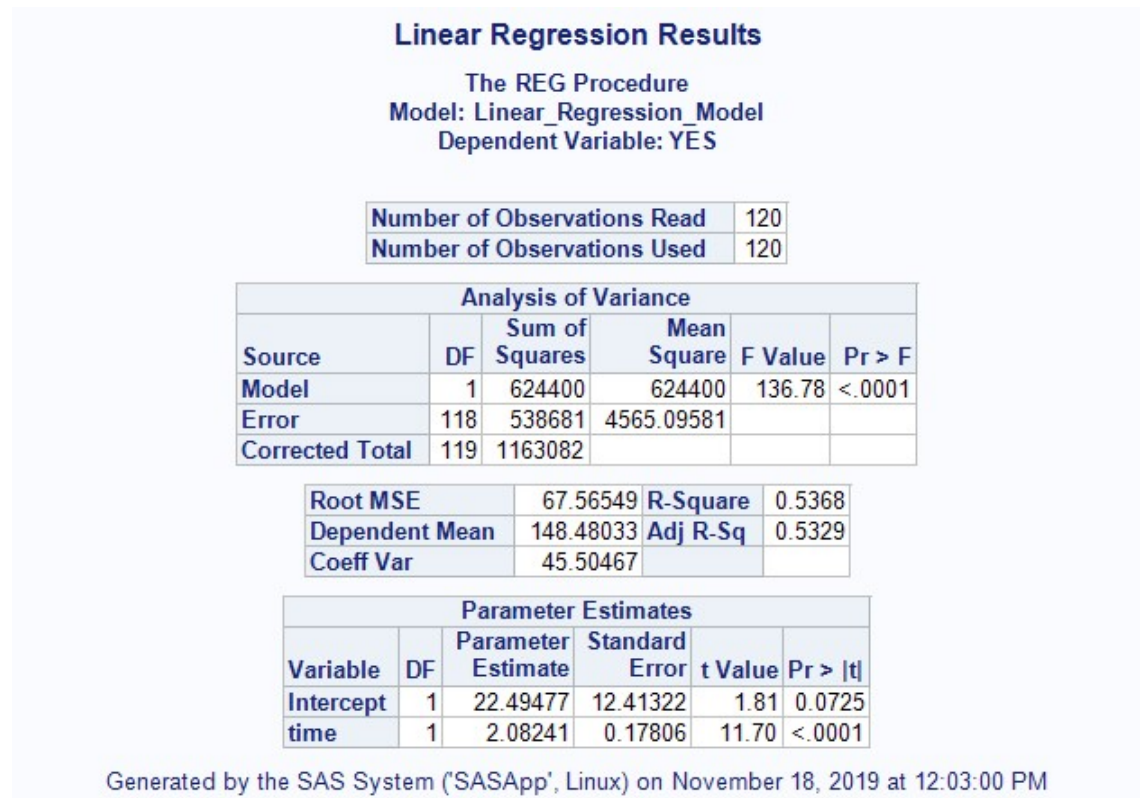
$$Y(130) = 327.31600 + 13.58409(130) \Rightarrow 2093.2477$$

$$Y(131) = 327.31600 + 13.58409(131) \Rightarrow 2106.83179$$

$$Y(132) = 327.31600 + 13.58409(132) \Rightarrow 2120.4158$$

Xt = time Yt = YES

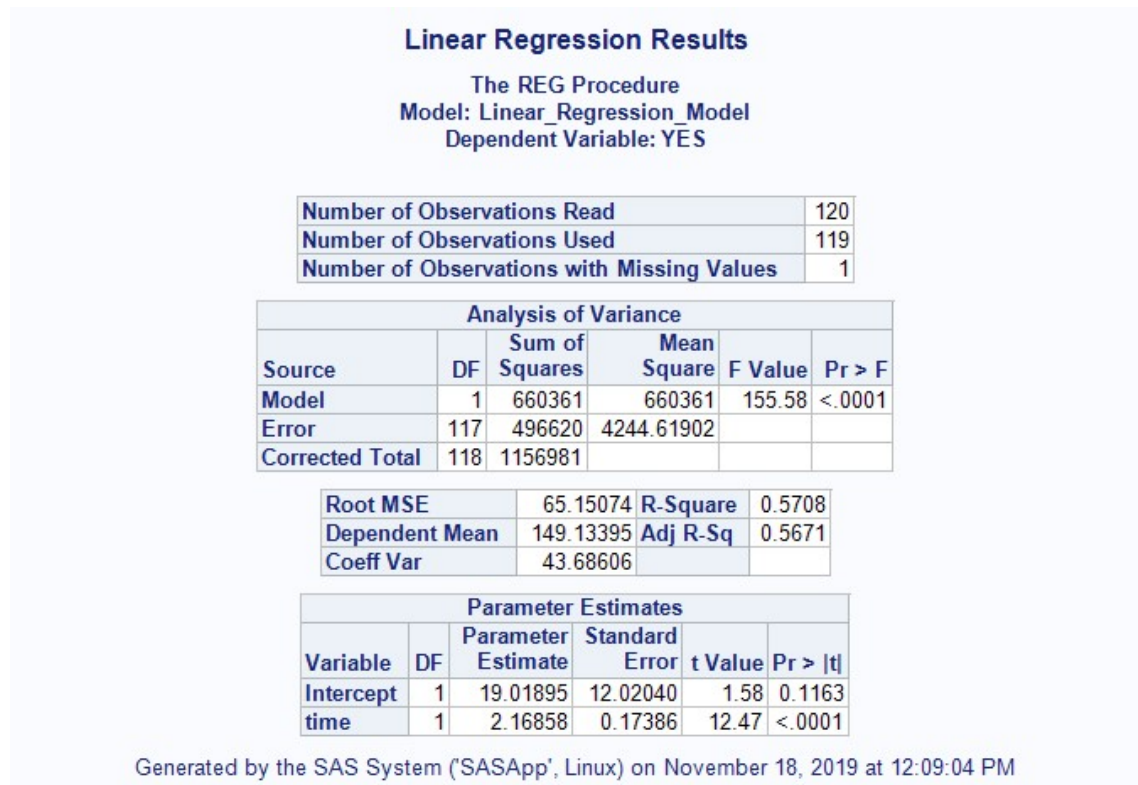
Figure 17: Original Result YES.



(SAS, own creation,2019)

$$Y_t = 22.49477 + 2.08241x_t$$

Figure 18: Missing Frequency Result YES.



(SAS, own creation,2019)

$$y't = 19.01895 + 2.16858x't$$

Forecasting: $y' (120) = 19.01895 + 2.16858(120) \Rightarrow 279.24855$

$$Y (121) = 22.49477 + 2.08241(121) \Rightarrow 274.46638$$

$$Y (122) = 22.49477 + 2.08241(122) \Rightarrow 276.54879$$

$$Y (123) = 22.49477 + 2.08241(123) \Rightarrow 278.6312$$

$$Y (124) = 22.49477 + 2.08241(124) \Rightarrow 280.71361$$

$$Y (125) = 22.49477 + 2.08241(125) \Rightarrow 282.79602$$

$$Y (126) = 22.49477 + 2.08241(126) \Rightarrow 284.87843$$

$$Y (127) = 22.49477 + 2.08241(127) \Rightarrow 286.96084$$

$$Y (128) = 22.49477 + 2.08241(128) \Rightarrow 289.04352$$

$$Y (129) = 22.49477 + 2.08241(129) \Rightarrow 291.12566$$

$$Y (130) = 22.49477 + 2.08241(130) \Rightarrow 293.20807$$

$$Y(131) = 22.49477 + 2.08241(131) \Rightarrow 295.29048$$

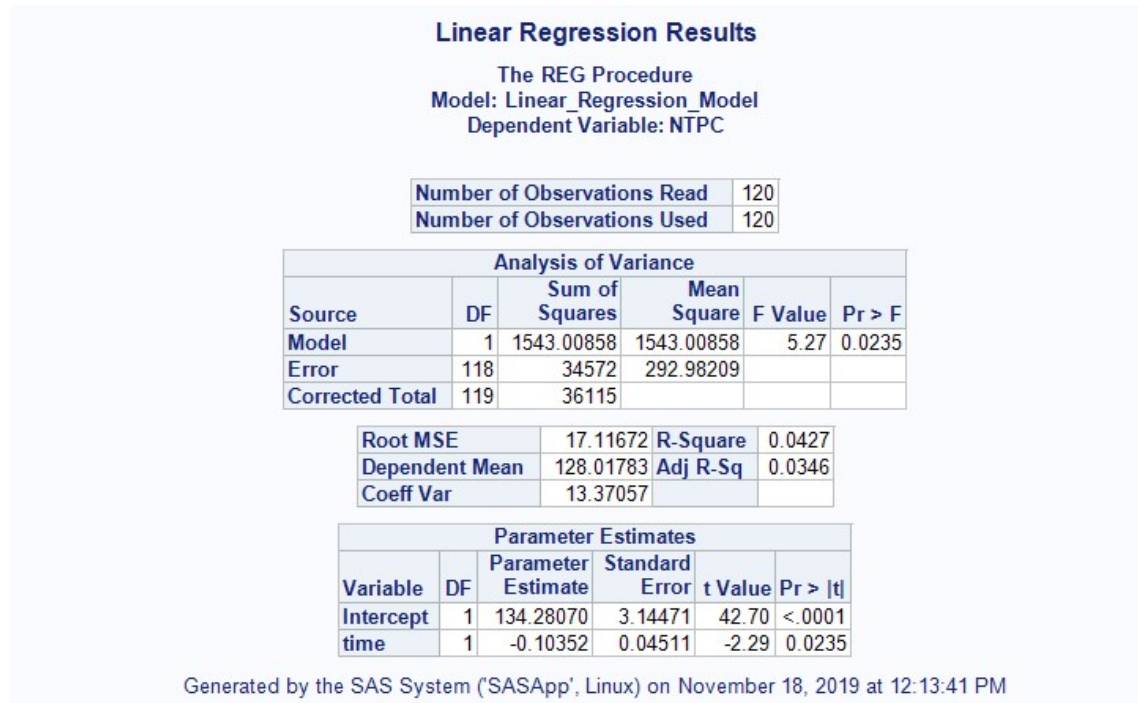
$$Y(132) = 22.49477 + 2.08241(132) \Rightarrow 297.37289$$

8.2 Industries

Stocks: NTPC, ONGC, TISC

Xt = time Yt= NTPC

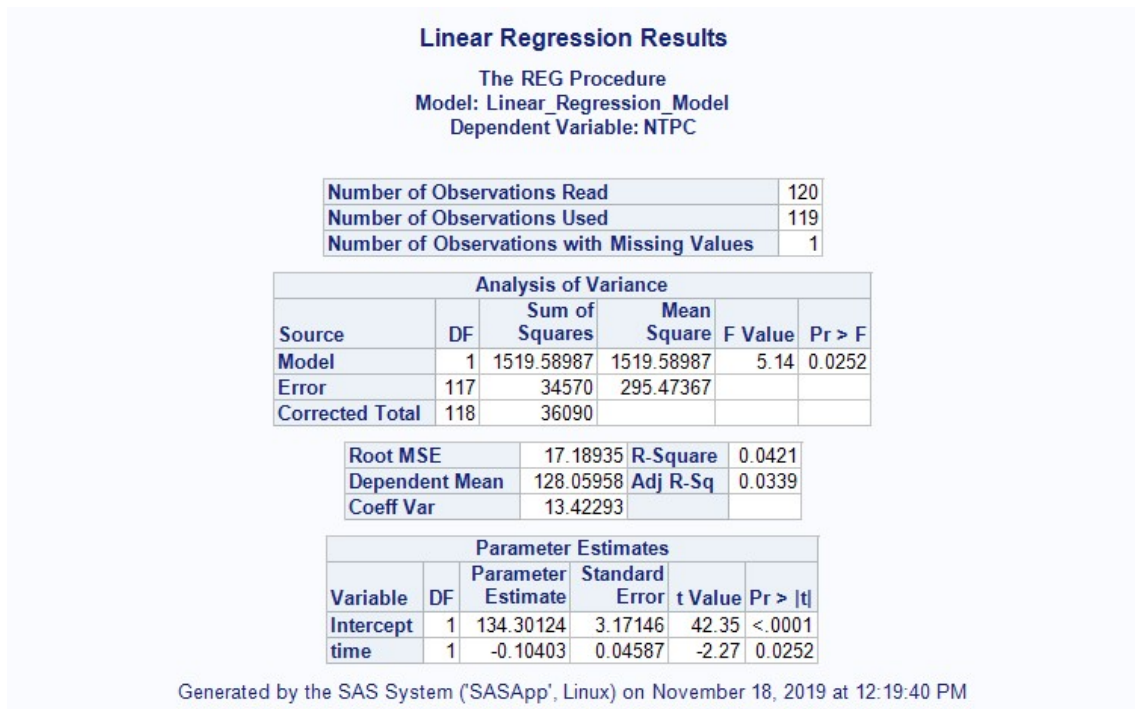
Figure 19: Original Result NTPC.



(SAS, own creation,2019)

$$Y_t = 134.28070 - 0.10352x_t$$

Figure 20: Missing Frequency Result NTPC.



(SAS, own creation,2019)

$$y't = 134.30124 - 0.10403xt$$

Forecasting : $y'(120) = 134.30124 - 0.10403(120) \Rightarrow 121.81764$

$$Y(121) = 134.28070 - 0.10352(121) \Rightarrow 121.75478$$

$$Y(122) = 134.28070 - 0.10352(122) \Rightarrow 121.65126$$

$$Y(123) = 134.28070 - 0.10352(123) \Rightarrow 121.54774$$

$$Y(124) = 134.28070 - 0.10352(124) \Rightarrow 121.44422$$

$$Y(125) = 134.28070 - 0.10352(125) \Rightarrow 121.3407$$

$$Y(126) = 134.28070 - 0.10352(126) \Rightarrow 121.23718$$

$$Y(127) = 134.28070 - 0.10352(127) \Rightarrow 121.13366$$

$$Y(128) = 134.28070 - 0.10352(128) \Rightarrow 121.03014$$

$$Y(129) = 134.28070 - 0.10352(129) \Rightarrow 120.92662$$

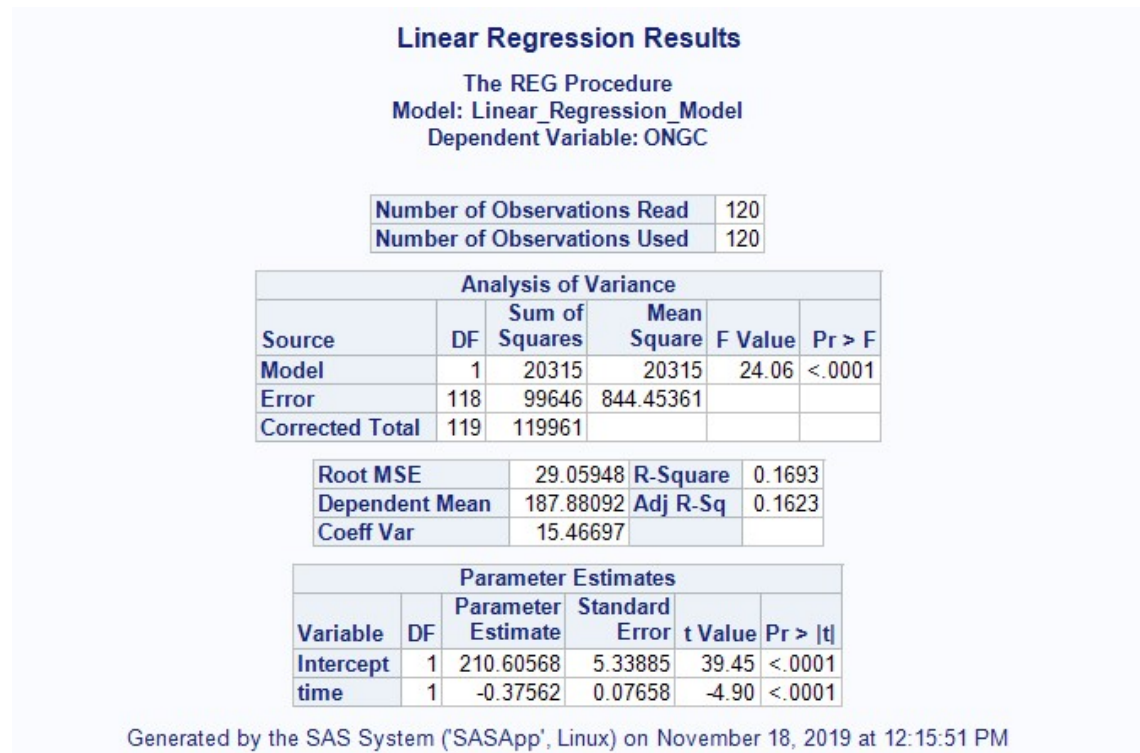
$$Y(130) = 134.28070 - 0.10352(130) \Rightarrow 120.82310$$

$$Y(131) = 134.28070 - 0.10352(131) \Rightarrow 120.71958$$

$$Y(132) = 134.28070 - 0.10352(132) \Rightarrow 120.61606$$

Xt = time Yt = ONGC

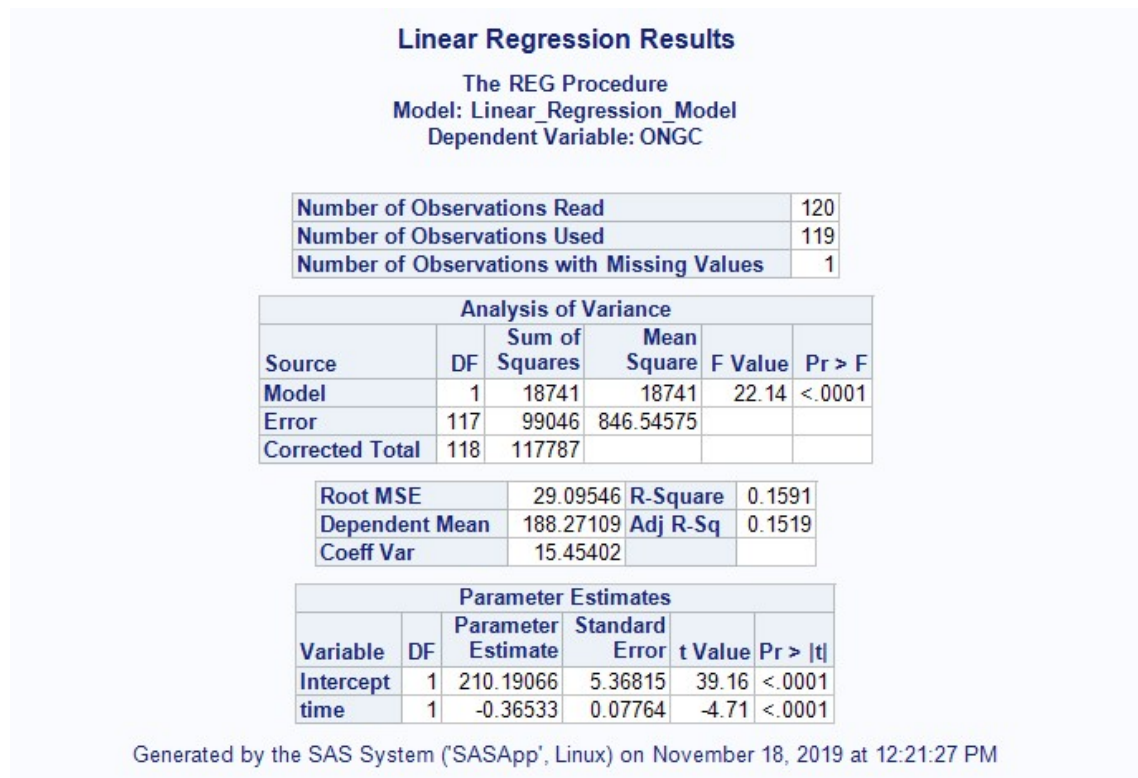
Figure 21: Original Result ONGC.



(SAS, own creation,2019)

$$Y_t = 210.60568 - 0.37562x_t$$

Figure 22: Missing Frequency Result ONGC.



(SAS, own creation,2019)

$$y't = 210.19066 - 0.36533xt$$

Forecasting : $y'(120) = 210.19066 - 0.36533(120) \Rightarrow 166.35106$

$$Y(121) = 210.60568 - 0.37562(121) \Rightarrow 165.15566$$

$$Y(122) = 210.60568 - 0.37562(122) \Rightarrow 164.78004$$

$$Y(123) = 210.60568 - 0.37562(123) \Rightarrow 164.40442$$

$$Y(124) = 210.60568 - 0.37562(124) \Rightarrow 164.02880$$

$$Y(125) = 210.60568 - 0.37562(125) \Rightarrow 163.63518$$

$$Y(126) = 210.60568 - 0.37562(126) \Rightarrow 163.27756$$

$$Y(127) = 210.60568 - 0.37562(127) \Rightarrow 162.90194$$

$$Y(128) = 210.60568 - 0.37562(128) \Rightarrow 162.52632$$

$$Y(129) = 210.60568 - 0.37562(129) \Rightarrow 162.1507$$

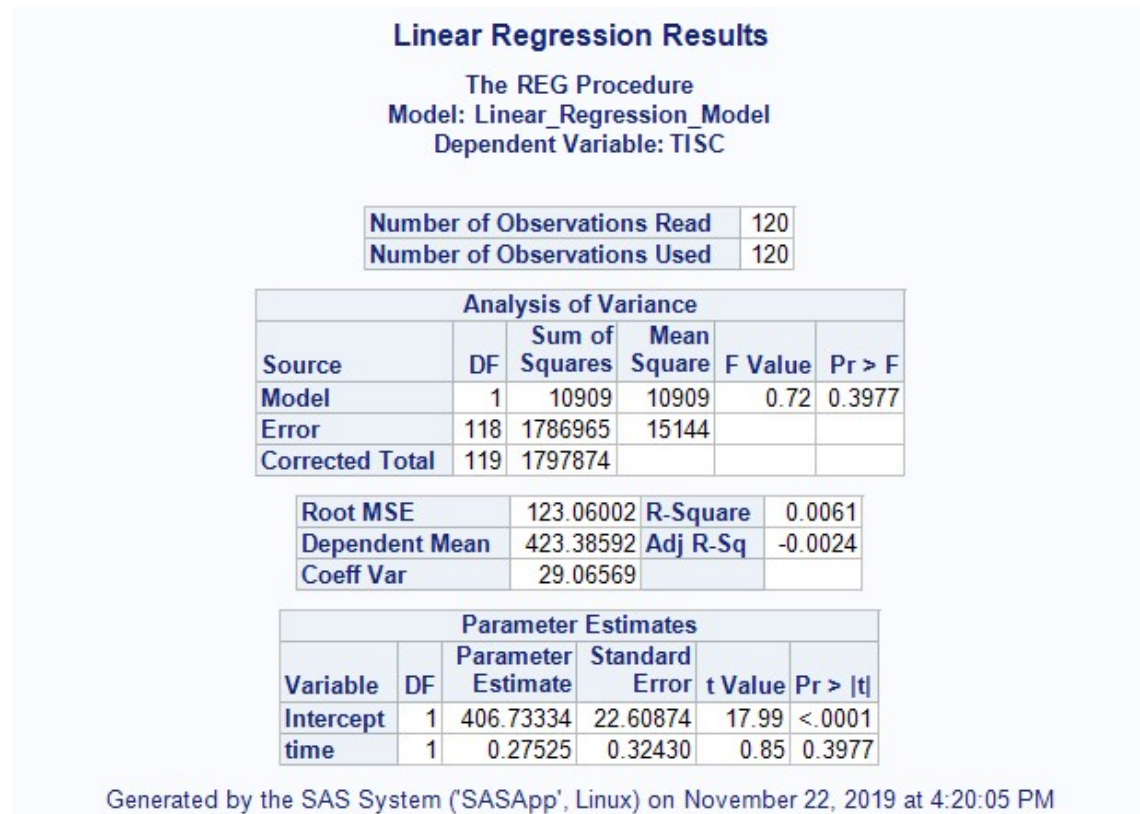
$$Y(130) = 210.60568 - 0.37562(130) \Rightarrow 161.77508$$

$$Y(131) = 210.60568 - 0.37562(131) \Rightarrow 161.39946$$

$$Y(132) = 210.60568 - 0.37562(132) \Rightarrow 161.02384$$

Xt= time Yt = TISC

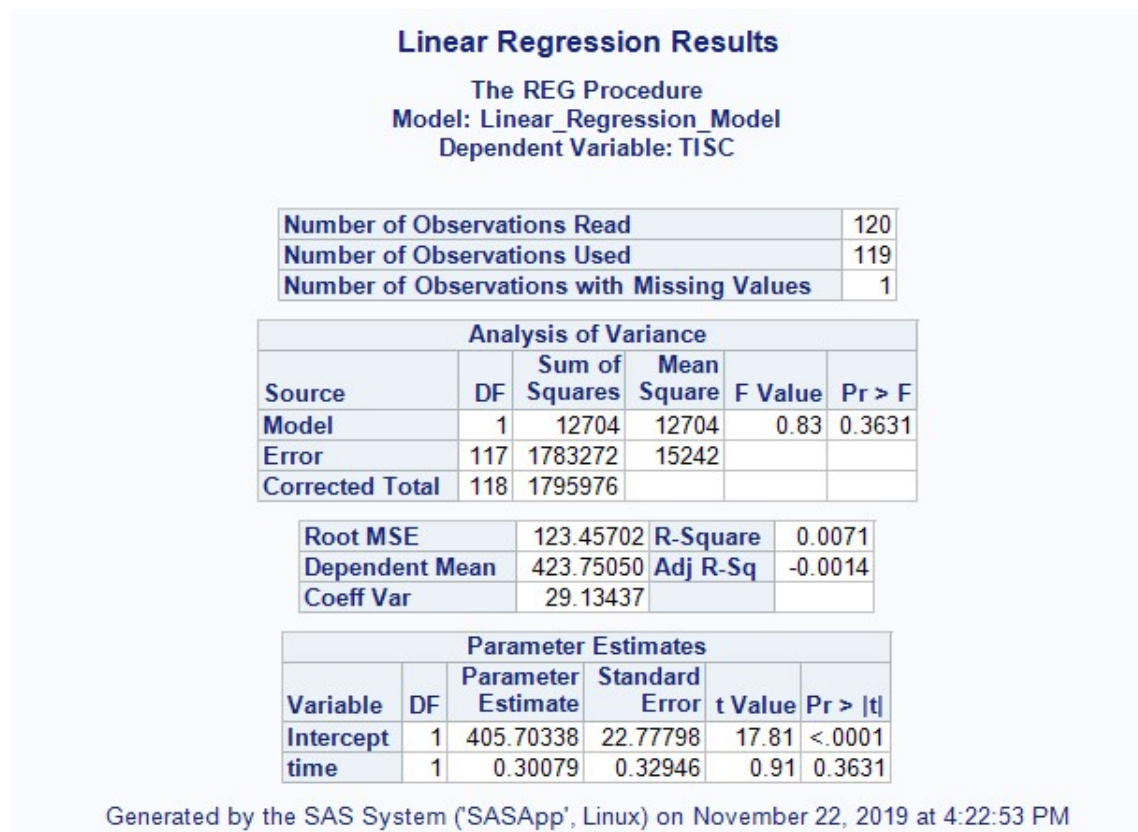
Figure 23: Original Result TISC.



(SAS, own creation,2019)

$$Y_t = 406.73334 + 0.27525x_t$$

Figure 24: Missing Frequency Result TISC.



(SAS, own creation,2019)

$$y^t = 405.70338 + 0.30079x^t$$

Forecasting : $y(120) = 405.70338 + 0.30079(120) \Rightarrow 441.79818$

$$Y(121) = 406.73334 + 0.27525(121) \Rightarrow 440.03859$$

$$Y(122) = 406.73334 + 0.27525(122) \Rightarrow 440.31384$$

$$Y(123) = 406.73334 + 0.27525(123) \Rightarrow 440.58909$$

$$Y(124) = 406.73334 + 0.27525(124) \Rightarrow 440.86434$$

$$Y(125) = 406.73334 + 0.27525(125) \Rightarrow 441.13959$$

$$Y(126) = 406.73334 + 0.27525(126) \Rightarrow 441.41484$$

$$Y(127) = 406.73334 + 0.27525(127) \Rightarrow 441.69009$$

$$Y(128) = 406.73334 + 0.27525(128) \Rightarrow 441.96534$$

$$Y(129) = 406.73334 + 0.27525(129) \Rightarrow 442.24059$$

$$Y(130) = 406.73334 + 0.27525(130) \Rightarrow 442.51584$$

$$Y(131) = 406.73334 + 0.27525(131) \Rightarrow 442.79109$$

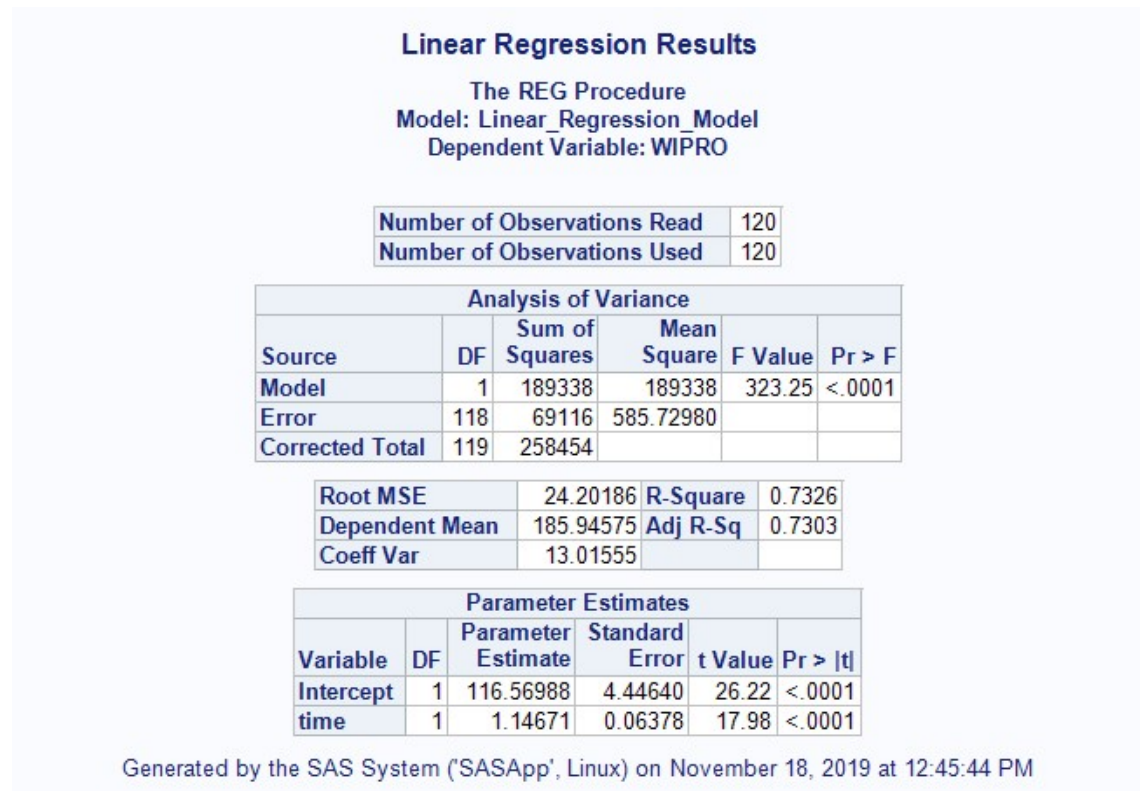
$$Y(132) = 406.73334 + 0.27525(132) \Rightarrow 443.06634$$

8.3 IT

Stocks: WIPRO, TCS, INFY

X_t= time Y_t= WIPRO

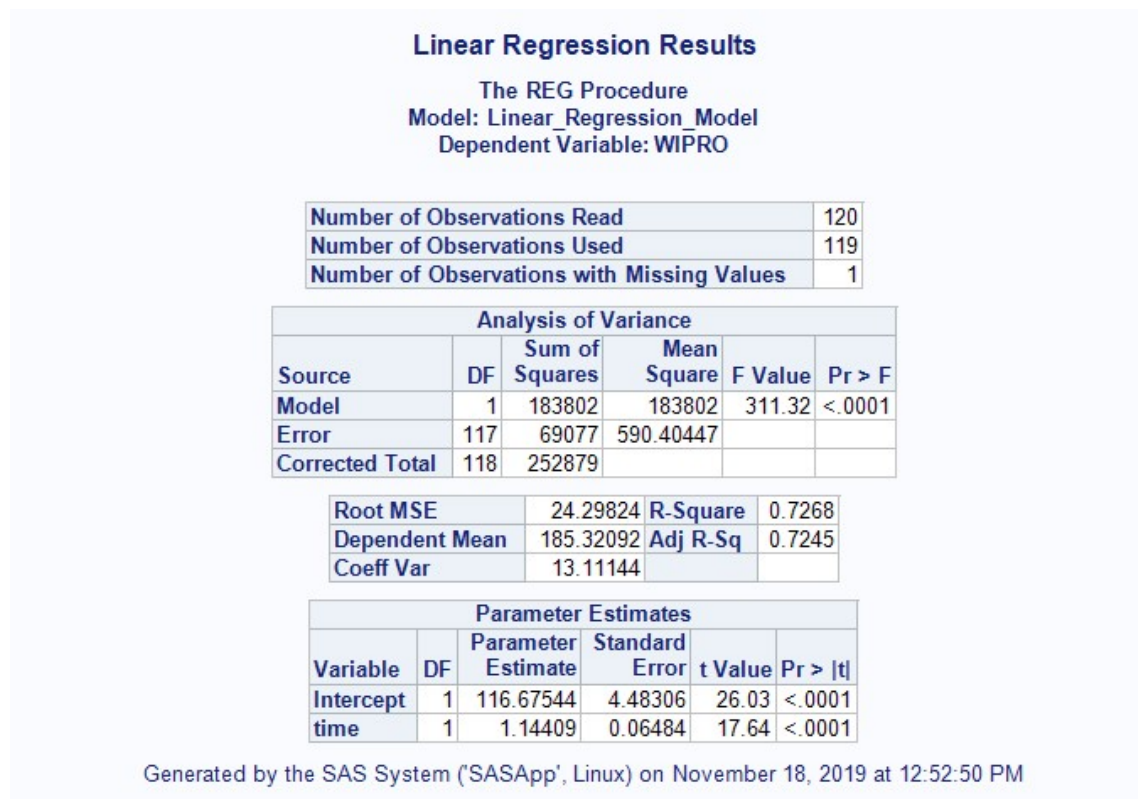
Figure 25: Original Result WIPRO.



(SAS, own creation,2019)

$$Y_t = 116.56988 + 1.14671x_t$$

Figure 26: Missing Frequency Result WIPRO.



(SAS, own creation,2019)

$$y^t = 116.67544 + 1.14409x_t$$

Forecasting : $y'(120) = 116.67544 + 1.14409(120) \Rightarrow 253.96624$

$$Y(121) = 116.56988 + 1.14671(121) \Rightarrow 255.32179$$

$$Y(122) = 116.56988 + 1.14671(122) \Rightarrow 256.46850$$

$$Y(123) = 116.56988 + 1.14671(123) \Rightarrow 257.61521$$

$$Y(124) = 116.56988 + 1.14671(124) \Rightarrow 258.76192$$

$$Y(125) = 116.56988 + 1.14671(125) \Rightarrow 259.90863$$

$$Y(126) = 116.56988 + 1.14671(126) \Rightarrow 261.05534$$

$$Y(127) = 116.56988 + 1.14671(127) \Rightarrow 262.20205$$

$$Y(128) = 116.56988 + 1.14671(128) \Rightarrow 263.34876$$

$$Y(129) = 116.56988 + 1.14671(129) \Rightarrow 264.49547$$

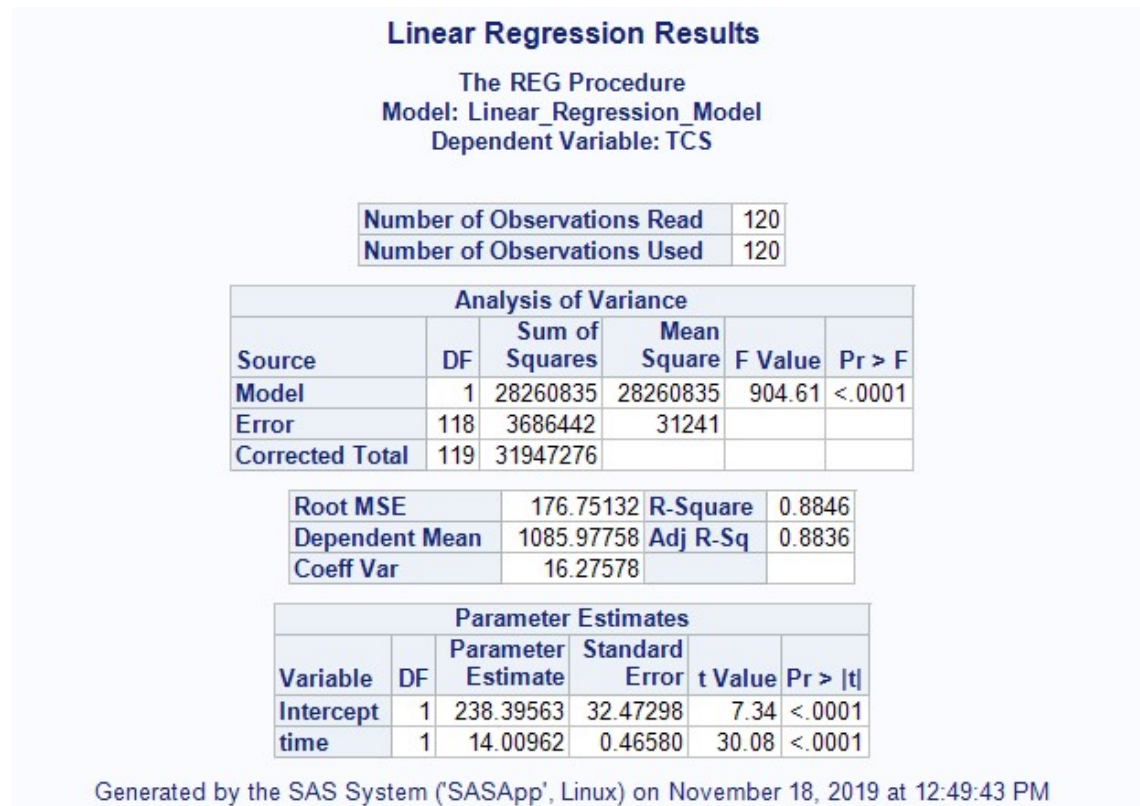
$$Y(130) = 116.56988 + 1.14671(130) \Rightarrow 265.64218$$

$$Y(131) = 116.56988 + 1.14671(131) \Rightarrow 266.78889$$

$$Y(132) = 116.56988 + 1.14671(132) \Rightarrow 267.93560$$

Xt = time Yt = TCS

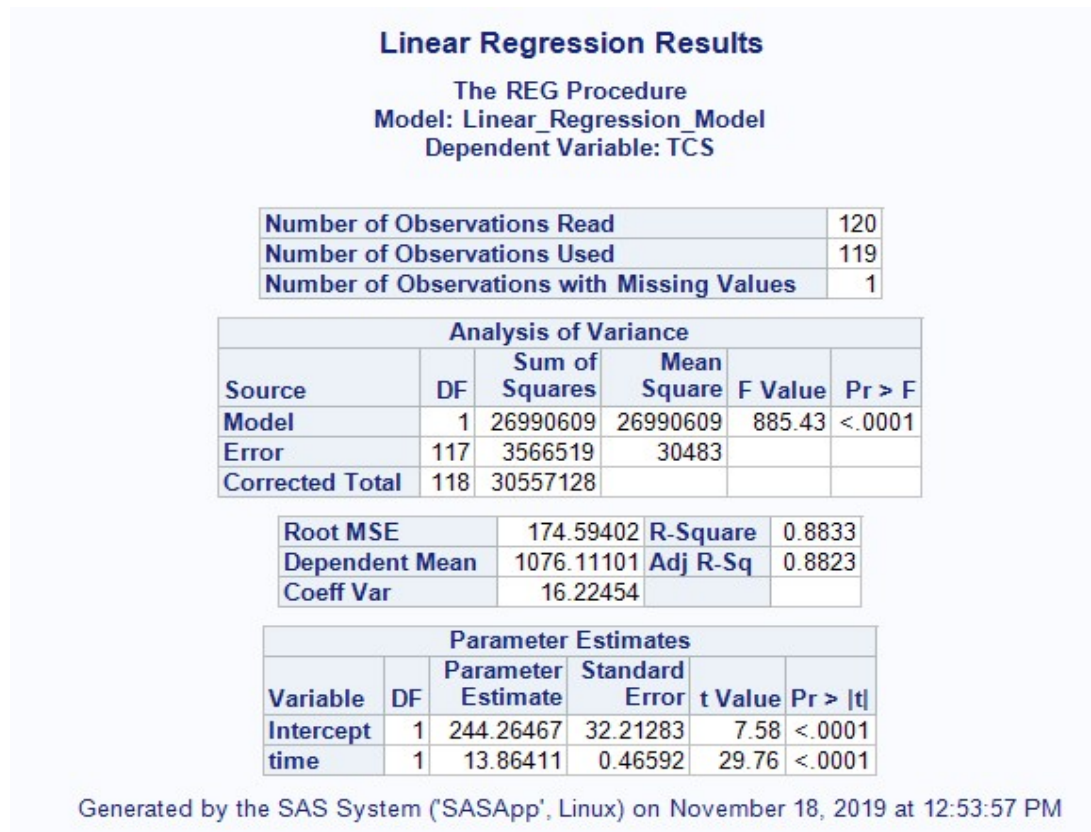
Figure 27: Original Result TCS.



(SAS, own creation,2019)

$$Y_t = 238.39563 + 14.00962x_t$$

Figure 28: Missing Frequency Result TCS.



(SAS, own creation,2019)

$$y^t = 244.26467 + 13.86411xt$$

Forecasting : $y_t(120) = 244.26467 + 13.86411(120) \Rightarrow 1907.95787$

$$Y(121) = 238.39563 + 14.00962(121) \Rightarrow 1933.55965$$

$$Y(122) = 238.39563 + 14.00962(122) \Rightarrow 1947.56927$$

$$Y(123) = 238.39563 + 14.00962(123) \Rightarrow 1961.57889$$

$$Y(124) = 238.39563 + 14.00962(124) \Rightarrow 1975.58851$$

$$Y(125) = 238.39563 + 14.00962(125) \Rightarrow 1989.59813$$

$$Y(126) = 238.39563 + 14.00962(126) \Rightarrow 2003.60775$$

$$Y(127) = 238.39563 + 14.00962(127) \Rightarrow 2017.61737$$

$$Y(128) = 238.39563 + 14.00962(128) \Rightarrow 2031.62699$$

$$Y(129) = 238.39563 + 14.00962(129) \Rightarrow 2045.63661$$

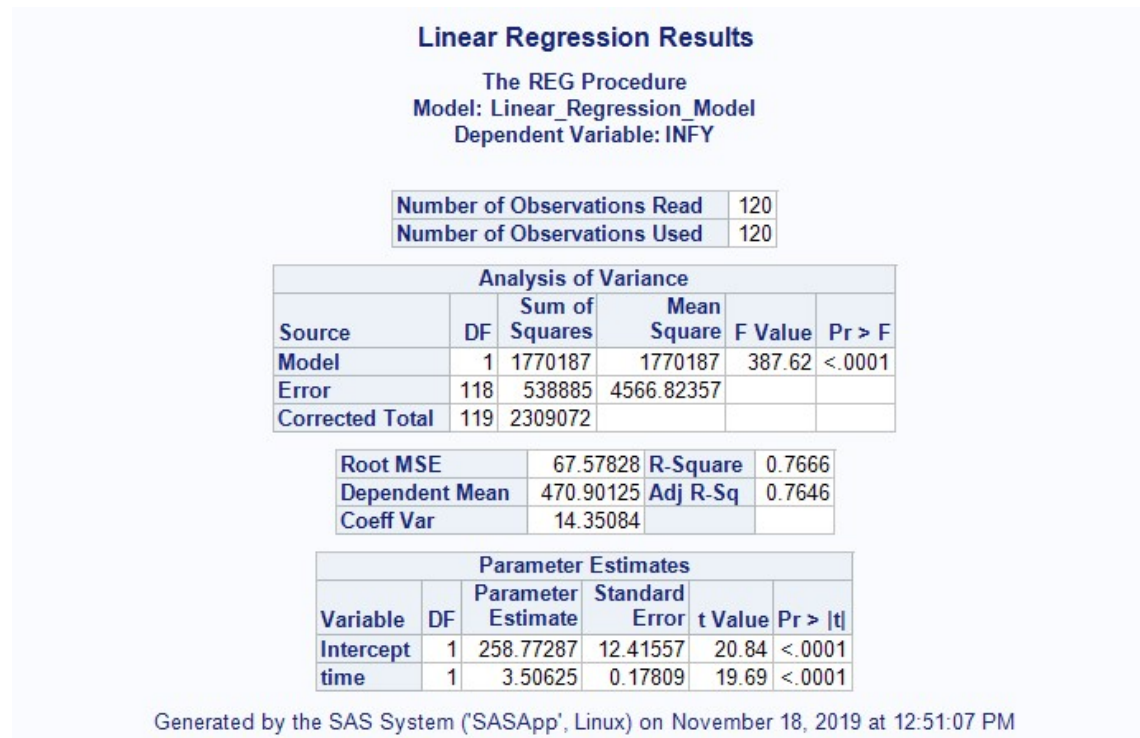
$$Y(130) = 238.39563 + 14.00962(130) \Rightarrow 2059.64623$$

$$Y(131) = 238.39563 + 14.00962(131) \Rightarrow 2073.65585$$

$$Y(132) = 238.39563 + 14.00962(132) \Rightarrow 2087.66547$$

Xt = time Yt = INFY

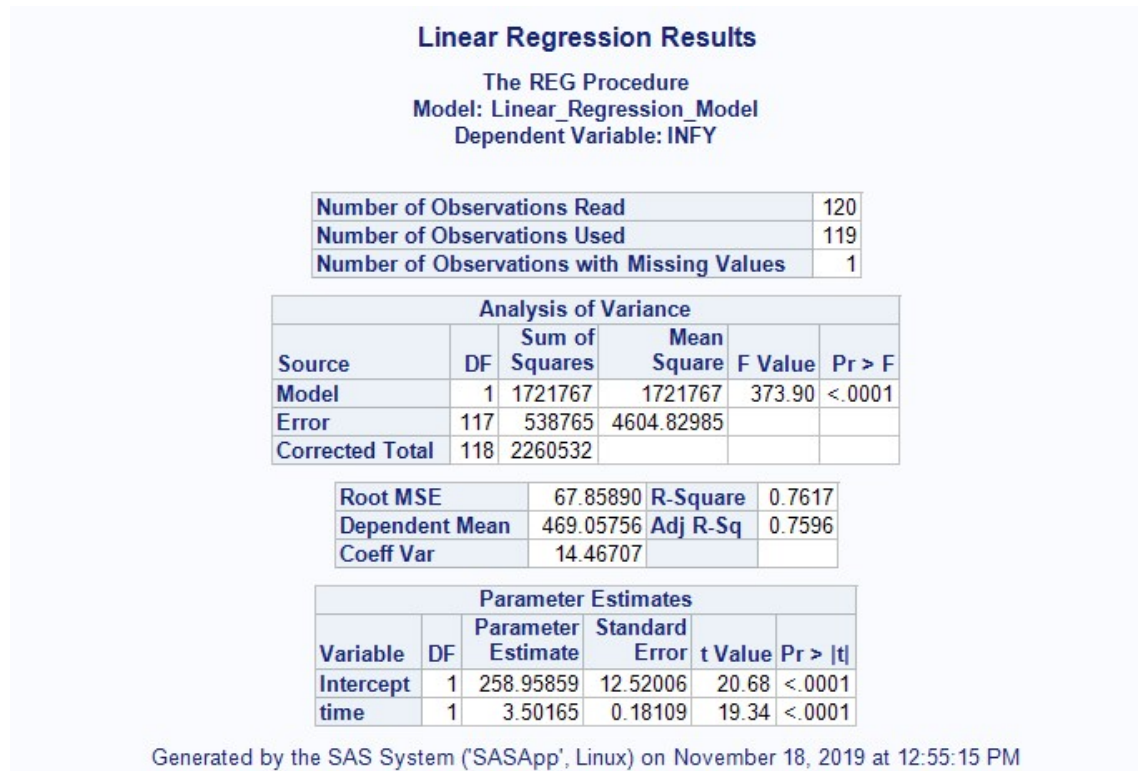
Figure 29: Original Result INFY.



(SAS, own creation,2019)

$$Y_t = 258.77287 + 3.50625x_t$$

Figure 30: Missing Frequency Result INFY.



(SAS, own creation,2019)

$$y't = 258.95859 + 3.50165x_t$$

Forecasting : $y(120) = 258.95859 + 3.50165(120) \Rightarrow 679.15695$

$$Y(121) = 258.77287 + 3.50625(121) \Rightarrow 683.02912$$

$$Y(122) = 258.77287 + 3.50625(122) \Rightarrow 686.53537$$

$$Y(123) = 258.77287 + 3.50625(123) \Rightarrow 690.04162$$

$$Y(124) = 258.77287 + 3.50625(124) \Rightarrow 693.54787$$

$$Y(125) = 258.77287 + 3.50625(125) \Rightarrow 697.05412$$

$$Y(126) = 258.77287 + 3.50625(126) \Rightarrow 700.56037$$

$$Y(127) = 258.77287 + 3.50625(127) \Rightarrow 704.06662$$

$$Y(128) = 258.77287 + 3.50625(128) \Rightarrow 707.57287$$

$$Y(129) = 258.77287 + 3.50625(129) \Rightarrow 711.07912$$

$$Y(130) = 258.77287 + 3.50625(130) \Rightarrow 714.58537$$

$$Y(131) = 258.77287 + 3.50625(131) \Rightarrow 718.09162$$

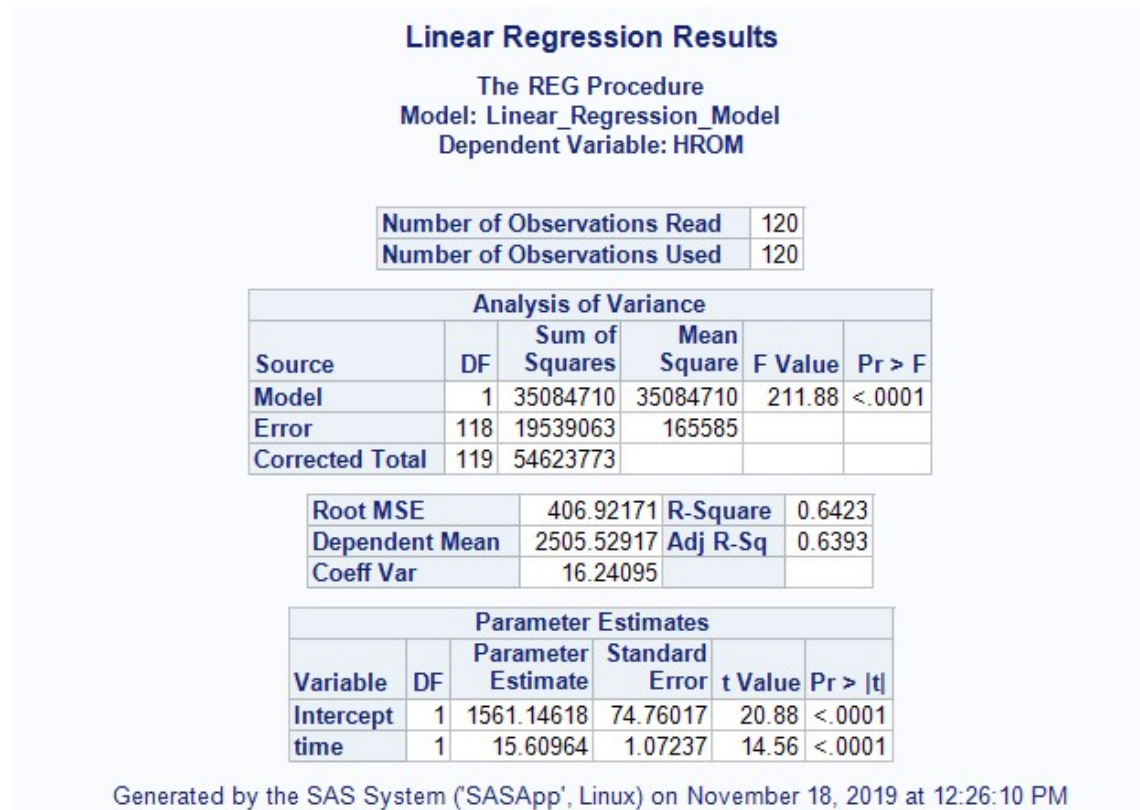
$$Y(132) = 258.77287 + 3.50625(132) \Rightarrow 721.59787$$

8.4 Automobiles

Stocks: HROM, MAHM, MRTI

$X_t = \text{time}$ $Y_t = \text{HROM}$

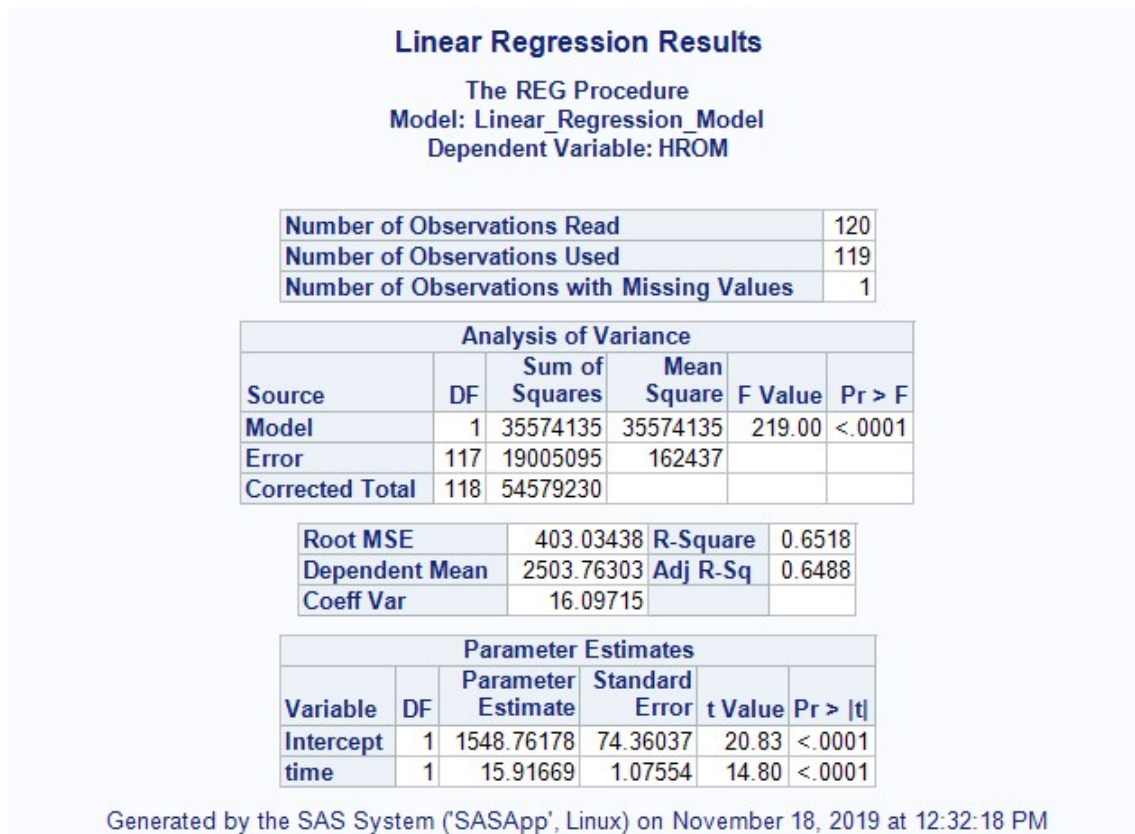
Figure 31: Original Result HROM.



(SAS, own creation,2019)

$$Y_t = 1561.14618 + 15.60964x_t$$

Figure 32: Missing Frequency Result HROM.



(SAS, own creation,2019)

$$y^t = 1548.76178 + 15.91669x^t$$

Forecasting : $y(120) = 1548.76178 + 15.91669(120) \Rightarrow 3458.76458$

$$Y(121) = 1561.14618 + 15.60964(121) \Rightarrow 3449.91262$$

$$Y(122) = 1561.14618 + 15.60964(122) \Rightarrow 3465.52226$$

$$Y(123) = 1561.14618 + 15.60964(123) \Rightarrow 3481.13190$$

$$Y(124) = 1561.14618 + 15.60964(124) \Rightarrow 3512.35118$$

$$Y(125) = 1561.14618 + 15.60964(125) \Rightarrow 3512.35118$$

$$Y(126) = 1561.14618 + 15.60964(126) \Rightarrow 3527.96082$$

$$Y(127) = 1561.14618 + 15.60964(127) \Rightarrow 3543.57046$$

$$Y(128) = 1561.14618 + 15.60964(128) \Rightarrow 3559.18010$$

$$Y(129) = 1561.14618 + 15.60964(129) \Rightarrow 3574.78974$$

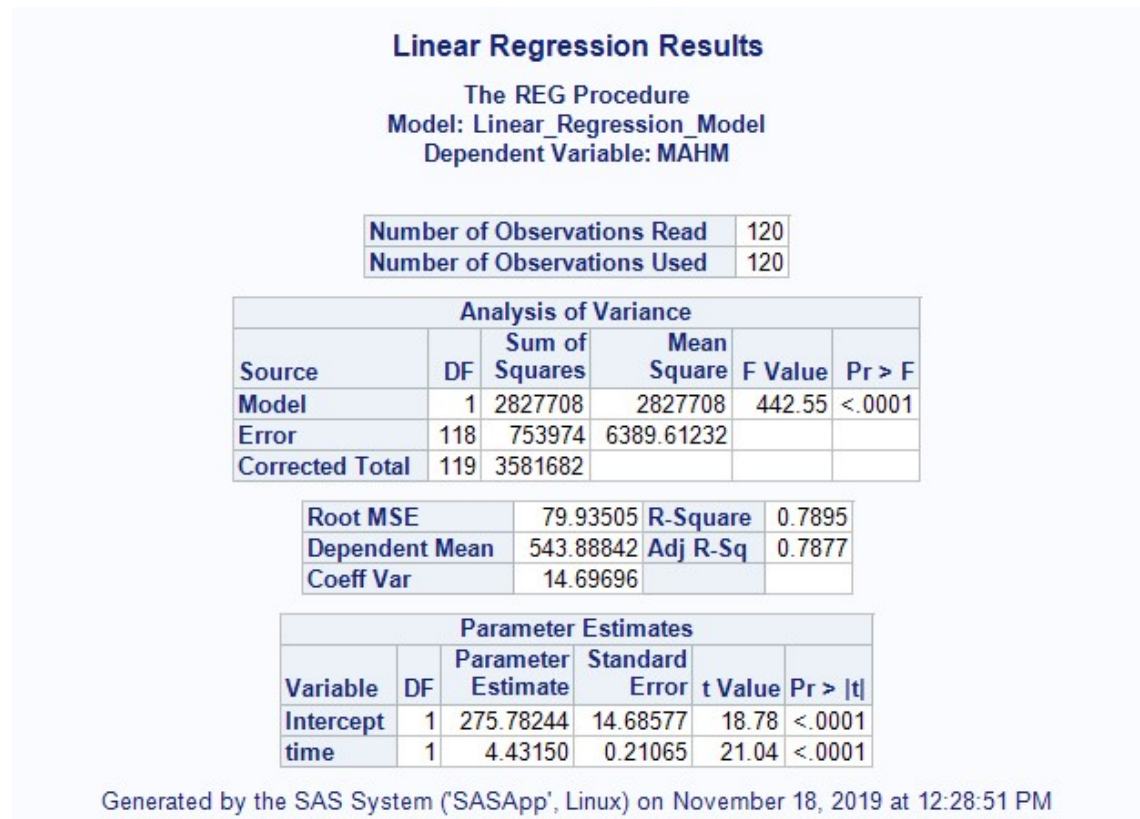
$$Y(130) = 1561.14618 + 15.60964(130) \Rightarrow 3590.39938$$

$$Y(131) = 1561.14618 + 15.60964(131) \Rightarrow 3606.00902$$

$$Y(132) = 1561.14618 + 15.60964(132) \Rightarrow 3621.61866$$

Xt = time Yt = MAHM

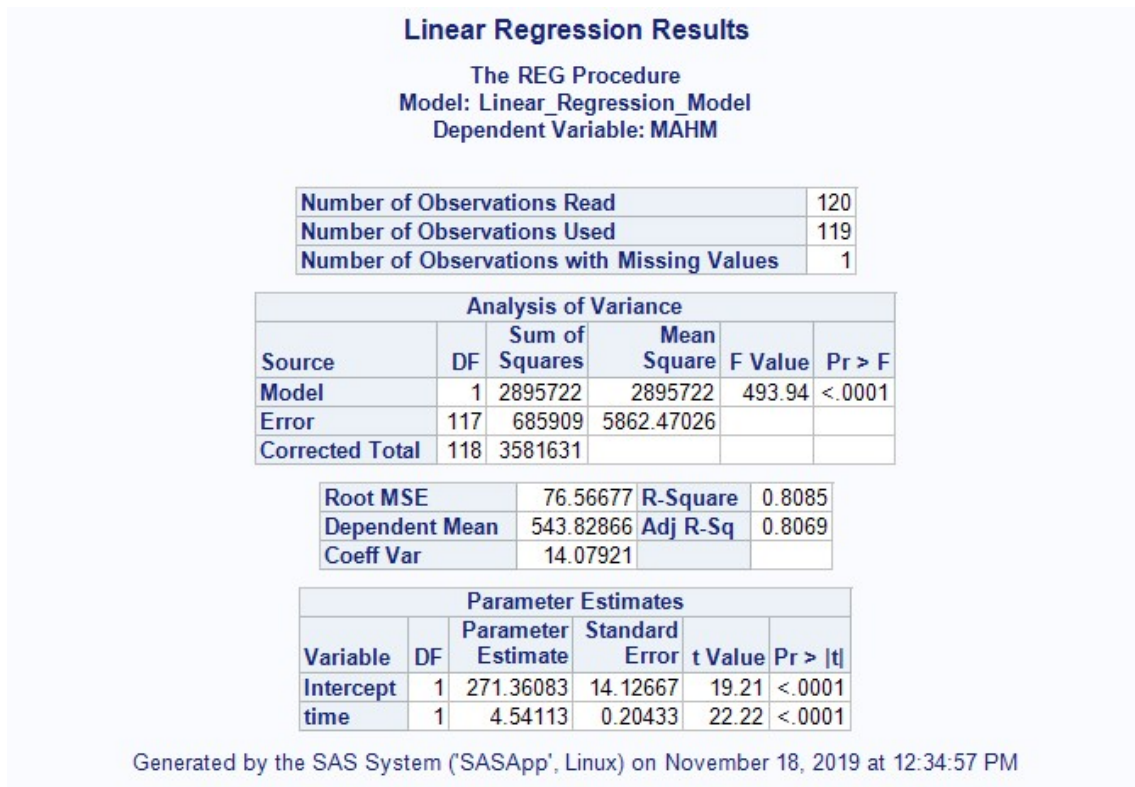
Figure 33: Original Result MAHM.



(SAS, own creation,2019)

$$Y = 257.78244 + 4.43150x_t$$

Figure 34: Missing Frequency Result MAHM.



(SAS, own creation,2019)

$$y^t = 271.36083 + 4.54113x^t$$

Forecasting : $y'(120) = 271.36083 + 4.54113(120) \Rightarrow 816.30363$

$$Y(121) = 257.78244 + 4.43150(121) \Rightarrow 811.99394$$

$$Y(122) = 257.78244 + 4.43150(122) \Rightarrow 816.42544$$

$$Y(123) = 257.78244 + 4.43150(123) \Rightarrow 820.85694$$

$$Y(124) = 257.78244 + 4.43150(124) \Rightarrow 825.28844$$

$$Y(125) = 257.78244 + 4.43150(125) \Rightarrow 829.71994$$

$$Y(126) = 257.78244 + 4.43150(126) \Rightarrow 834.15144$$

$$Y(127) = 257.78244 + 4.43150(127) \Rightarrow 838.58294$$

$$Y(128) = 257.78244 + 4.43150(128) \Rightarrow 843.01444$$

$$Y(129) = 257.78244 + 4.43150(129) \Rightarrow 847.44594$$

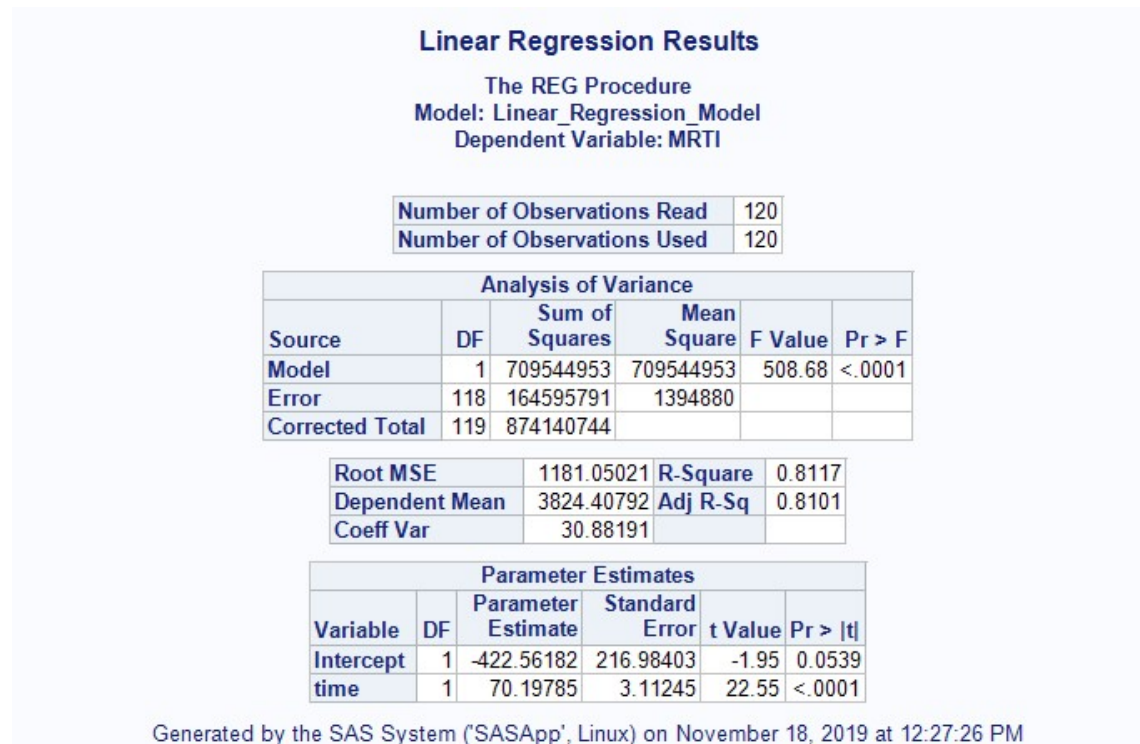
$$Y(130) = 257.78244 + 4.43150(130) \Rightarrow 851.87744$$

$$Y(131) = 257.78244 + 4.43150(131) \Rightarrow 856.30894$$

$$Y(132) = 257.78244 + 4.43150(132) \Rightarrow 860.74044$$

Xt = time Yt = MRTI

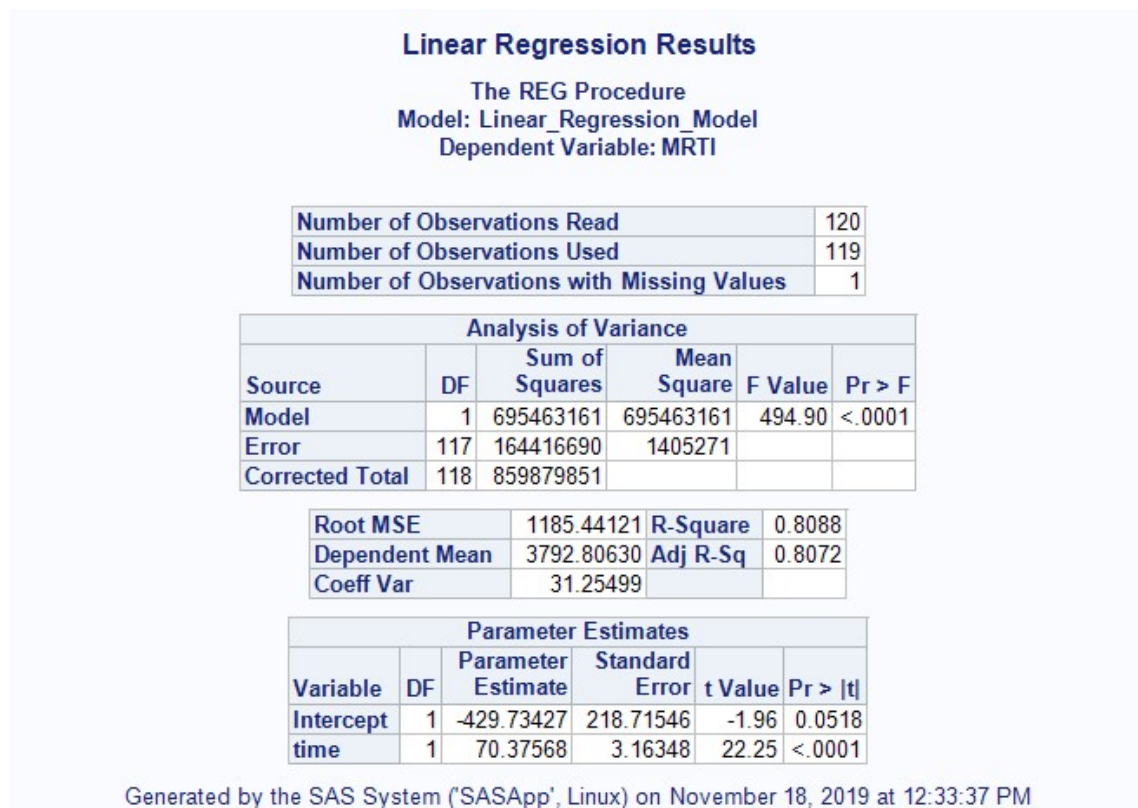
Figure 35: Original Result MRTI.



(SAS, own creation,2019)

$$Y_t = -422.56182 + 70.19785x_t$$

Figure 36: Missing Frequency Result MRTI.



(SAS, own creation,2019)

$$y't = -429.73427 + 70.37568x't$$

Forecasting: $y' (120) = -429.73427 + 70.37568(120) \Rightarrow 8015.34733$

$$Y(121) = -422.56182 + 70.19785(121) \Rightarrow 8071.37803$$

$$Y(122) = -422.56182 + 70.19785(122) \Rightarrow 8141.57588$$

$$Y(123) = -422.56182 + 70.19785(123) \Rightarrow 8211.77373$$

$$Y(124) = -422.56182 + 70.19785(124) \Rightarrow 8281.97518$$

$$Y(125) = -422.56182 + 70.19785(125) \Rightarrow 8352.16943$$

$$Y(126) = -422.56182 + 70.19785(126) \Rightarrow 8422.36728$$

$$Y(127) = -422.56182 + 70.19785(127) \Rightarrow 8492.56513$$

$$Y(128) = -422.56182 + 70.19785(128) \Rightarrow 8562.76298$$

$$Y(129) = -422.56182 + 70.19785(129) \Rightarrow 8632.96083$$

$$Y(130) = -422.56182 + 70.19785(130) \Rightarrow 8703.15868$$

$$Y(131) = -422.56182 + 70.19785(131) \Rightarrow 8773.35653$$

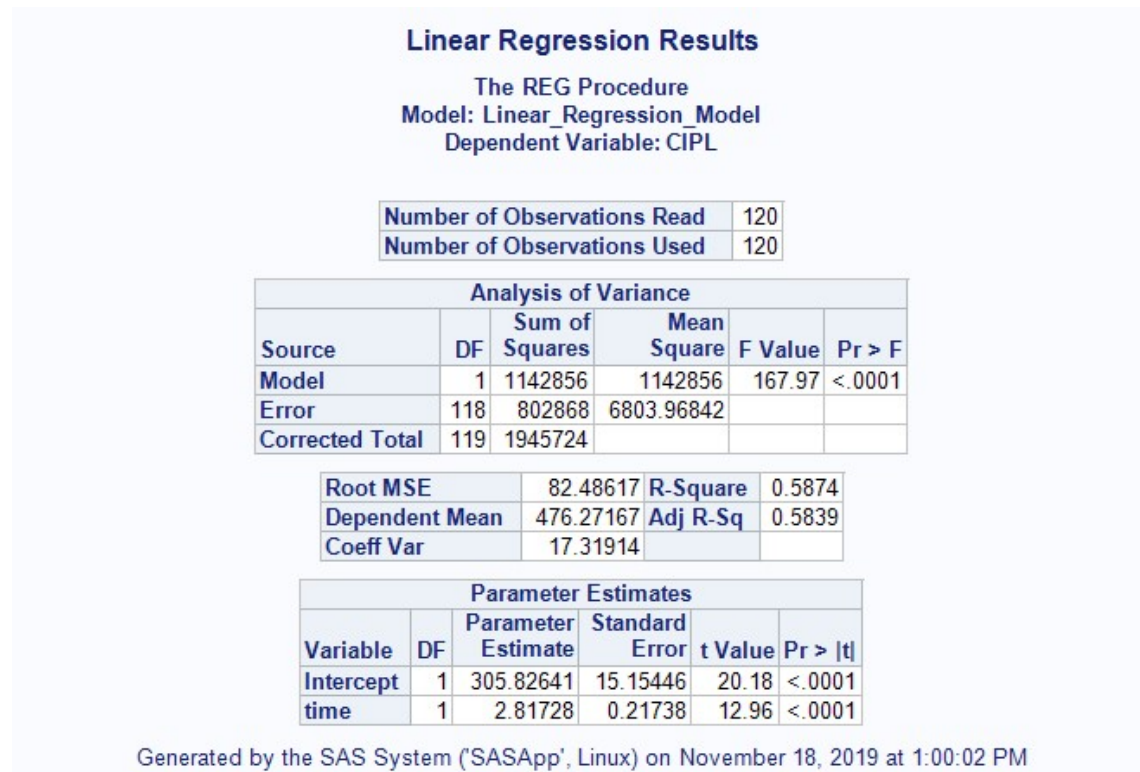
$$Y(132) = -422.56182 + 70.19785(132) \Rightarrow 8843.55438$$

8.5 Healthcare

stocks: CIPL, REDY, SUN

Xt= time Yt= CIPL

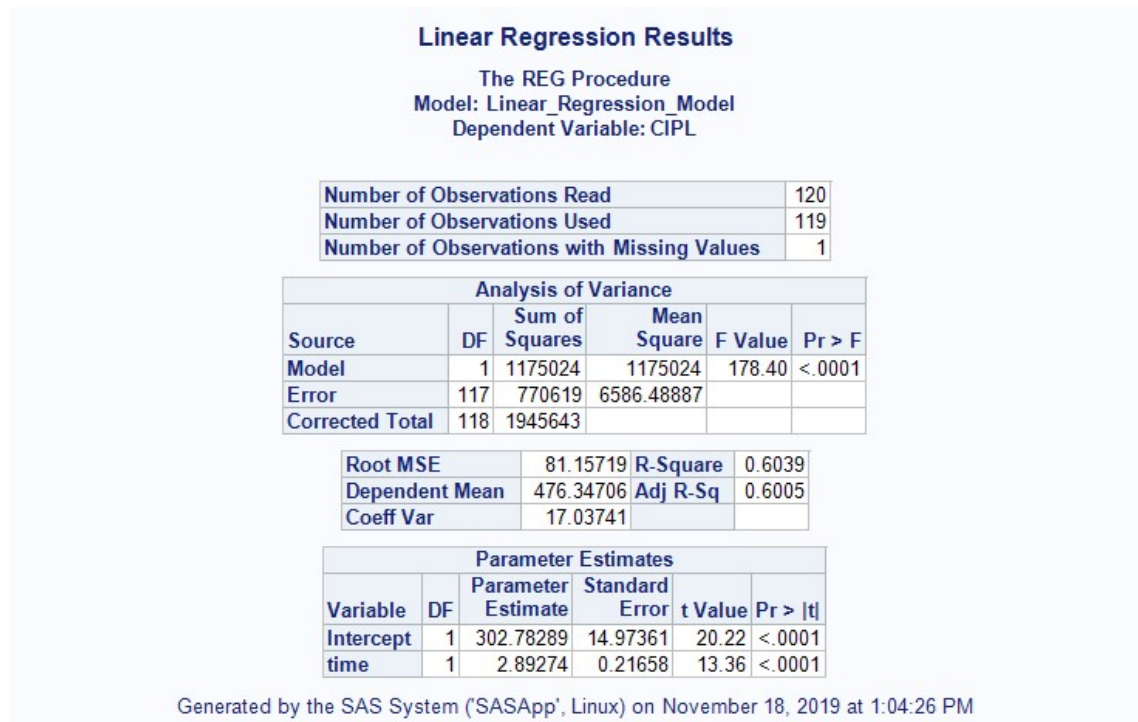
Figure 37: Original Result CIPL.



(SAS, own creation,2019)

$$Y_t = 305.82641 + 2.81728x_t$$

Figure 38: Missing Frequency Result CIPL.



(SAS, own creation,2019)

$$y^*t = 302.78289 + 2.89274x^*t$$

Forecasting: $y'(120) = 302.78289 + 2.89274(120) \Rightarrow 649.91169$

$$Y(121) = 305.82641 + 2.81728(121) \Rightarrow 646.78263$$

$$Y(122) = 305.82641 + 2.81728(122) \Rightarrow 649.60045$$

$$Y(123) = 305.82641 + 2.81728(123) \Rightarrow 652.41827$$

$$Y(124) = 305.82641 + 2.81728(124) \Rightarrow 655.23609$$

$$Y(125) = 305.82641 + 2.81728(125) \Rightarrow 658.05391$$

$$Y(126) = 305.82641 + 2.81728(126) \Rightarrow 660.87173$$

$$Y(127) = 305.82641 + 2.81728(127) \Rightarrow 663.68955$$

$$Y(128) = 305.82641 + 2.81728(128) \Rightarrow 666.50737$$

$$(129) = 305.82641 + 2.81728(129) \Rightarrow 669.32519$$

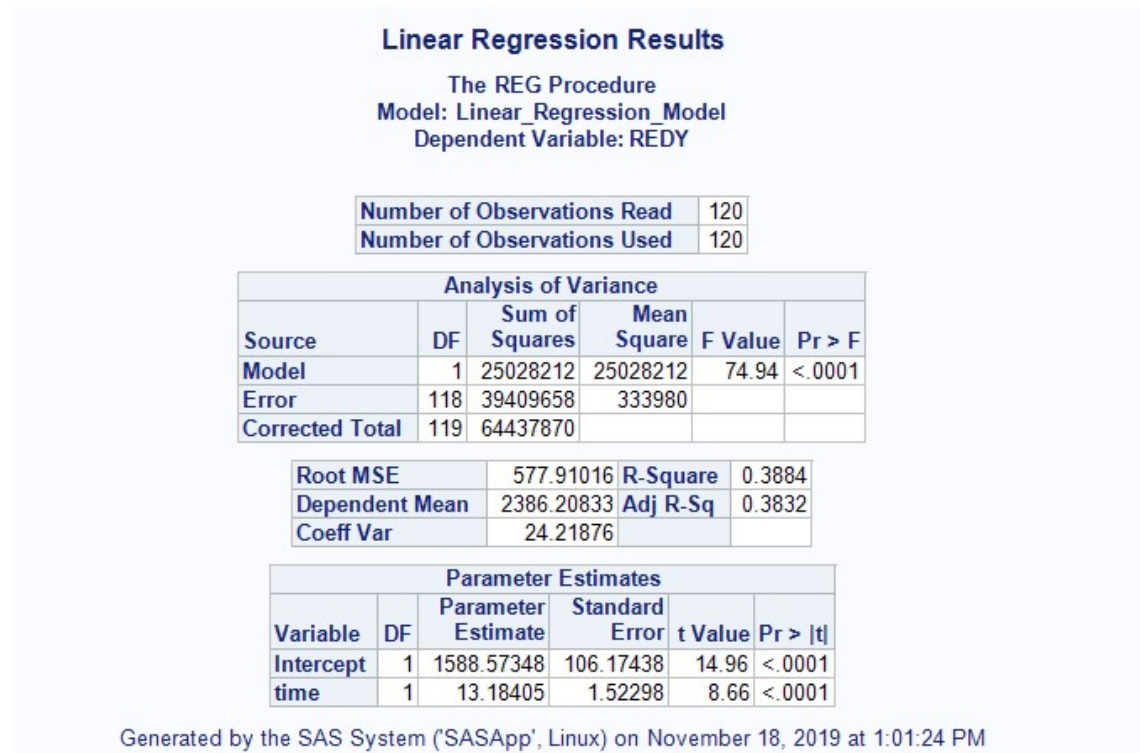
$$Y(130) = 305.82641 + 2.81728(130) \Rightarrow 672.14301$$

$$Y(131) = 305.82641 + 2.81728(131) \Rightarrow 674.96083$$

$$Y(132) = 305.82641 + 2.81728(132) \Rightarrow 677.77865$$

$X_t = \text{time}$ $Y_t = \text{REDY}$

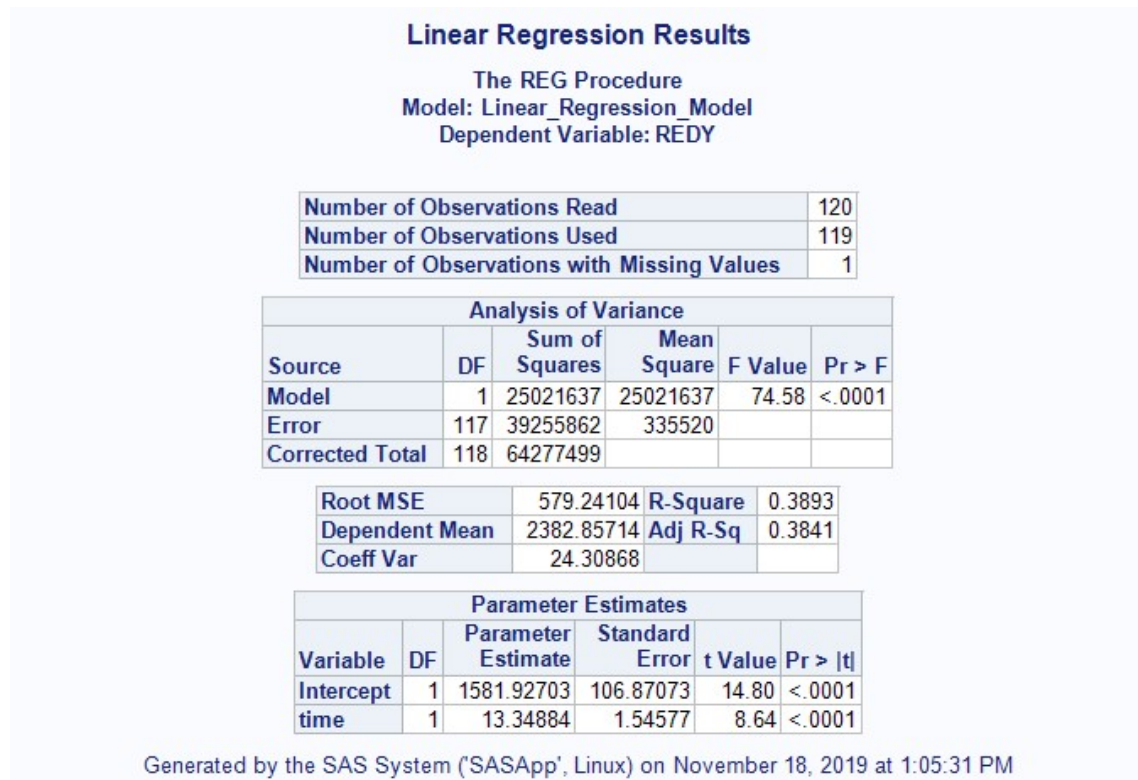
Figure 39: Original Result REDY.



(SAS, own creation,2019)

$$Y_t = 1588.57348 + 13.18405x_t$$

Figure 40: Missing Frequency Result REDY.



(SAS, own creation,2019)

$$y^t = 1581.92703 + 13.34884x^t$$

Forecasting: $y(120) = 1581.92703 + 13.34884(120) \Rightarrow 3183.78783$

$$Y(121) = 1588.57348 + 13.18405(121) \Rightarrow 3183.84353$$

$$Y(122) = 1588.57348 + 13.18405(122) \Rightarrow 3197.02758$$

$$Y(123) = 1588.57348 + 13.18405(123) \Rightarrow 3210.21163$$

$$Y(124) = 1588.57348 + 13.18405(124) \Rightarrow 3223.39568$$

$$Y(125) = 1588.57348 + 13.18405(125) \Rightarrow 3263.57973$$

$$Y(126) = 1588.57348 + 13.18405(126) \Rightarrow 3249.76378$$

$$Y(127) = 1588.57348 + 13.18405(127) \Rightarrow 3262.94783$$

$$Y(128) = 1588.57348 + 13.18405(128) \Rightarrow 3276.13188$$

$$Y(129) = 1588.57348 + 13.18405(129) \Rightarrow 3289.31593$$

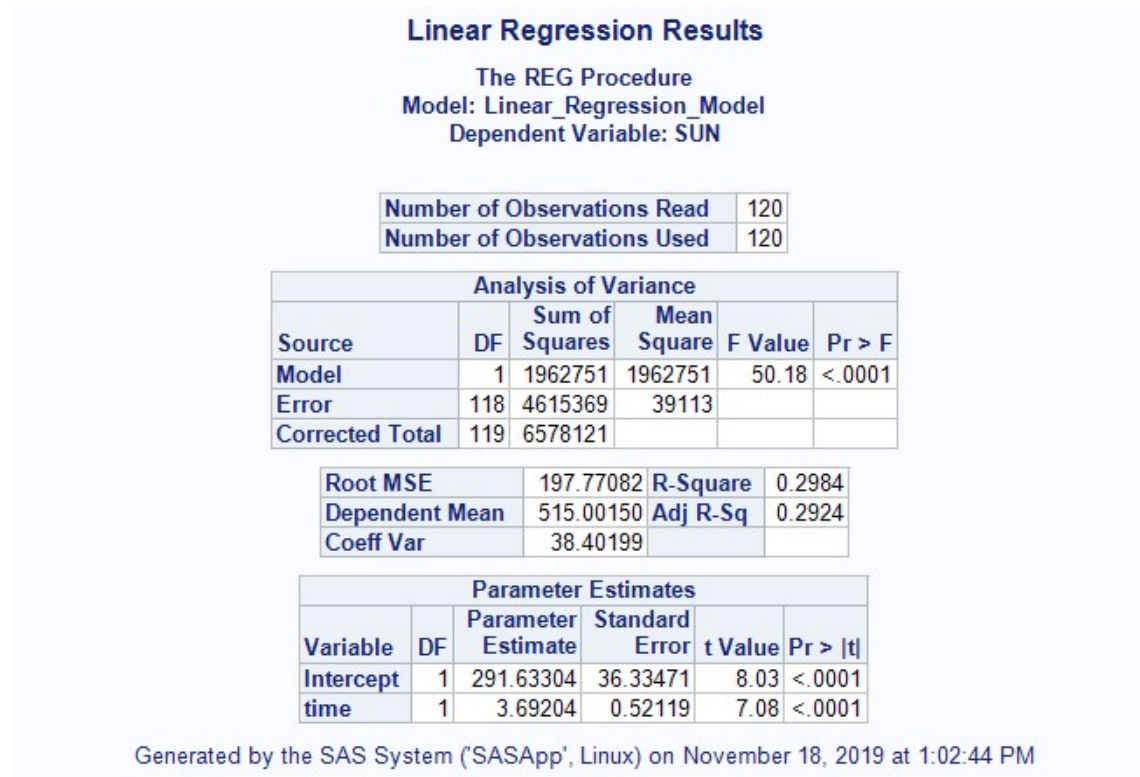
$$Y(130) = 1588.57348 + 13.18405(130) \Rightarrow 3302.49998$$

$$Y(131) = 1588.57348 + 13.18405(131) \Rightarrow 3315.68403$$

$$Y(132) = 1588.57348 + 13.18405(132) \Rightarrow 3328.86808$$

Xt= time Yt= Sun

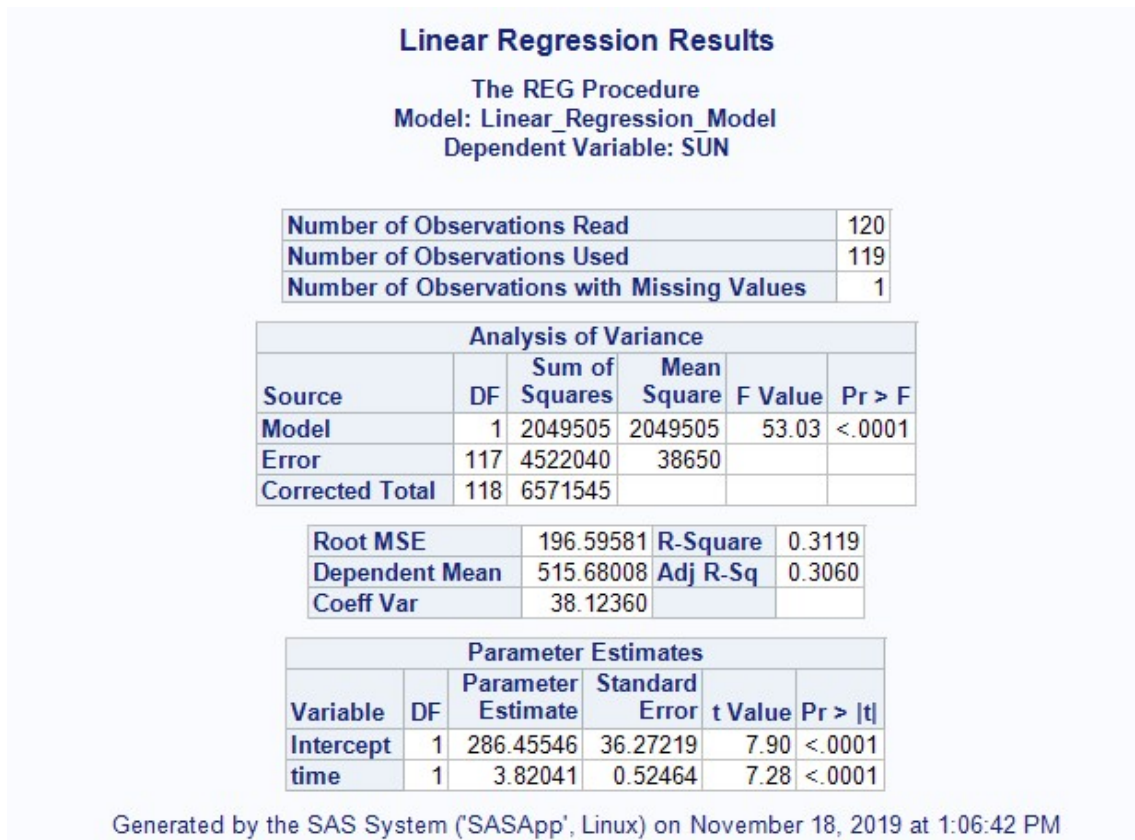
Figure 41: Original Result SUN.



(SAS, own creation,2019)

$$Y_t = 291.63304 + 3.69204x_t$$

Figure 42: Missing Frequency Result SUN.



(SAS, own creation,2019)

$$y^t = 286.45546 + 3.82041x^t$$

Forecasting: $y(120) = 286.45546 + 3.82041(120) \Rightarrow 744.90466$

$$Y(121) = 291.63304 + 3.69204(121) \Rightarrow 738.36988$$

$$Y(122) = 291.63304 + 3.69204(122) \Rightarrow 742.06192$$

$$Y(123) = 291.63304 + 3.69204(123) \Rightarrow 745.75396$$

$$Y(124) = 291.63304 + 3.69204(124) \Rightarrow 749.44600$$

$$Y(125) = 291.63304 + 3.69204(125) \Rightarrow 753.13804$$

$$Y(126) = 291.63304 + 3.69204(126) \Rightarrow 756.83008$$

$$Y(127) = 291.63304 + 3.69204(127) \Rightarrow 760.52212$$

$$Y(128) = 291.63304 + 3.69204(128) \Rightarrow 764.21416$$

$$Y(129) = 291.63304 + 3.69204(129) \Rightarrow 767.90620$$

$$Y(130) = 291.63304 + 3.69204(130) \Rightarrow 771.59824$$

$$Y(131) = 291.63304 + 3.69204(131) \Rightarrow 775.29028$$

$$Y(132) = 291.63304 + 3.69204(132) \Rightarrow 778.98232$$